

Visual Guidance in Insects and applications to MAVs

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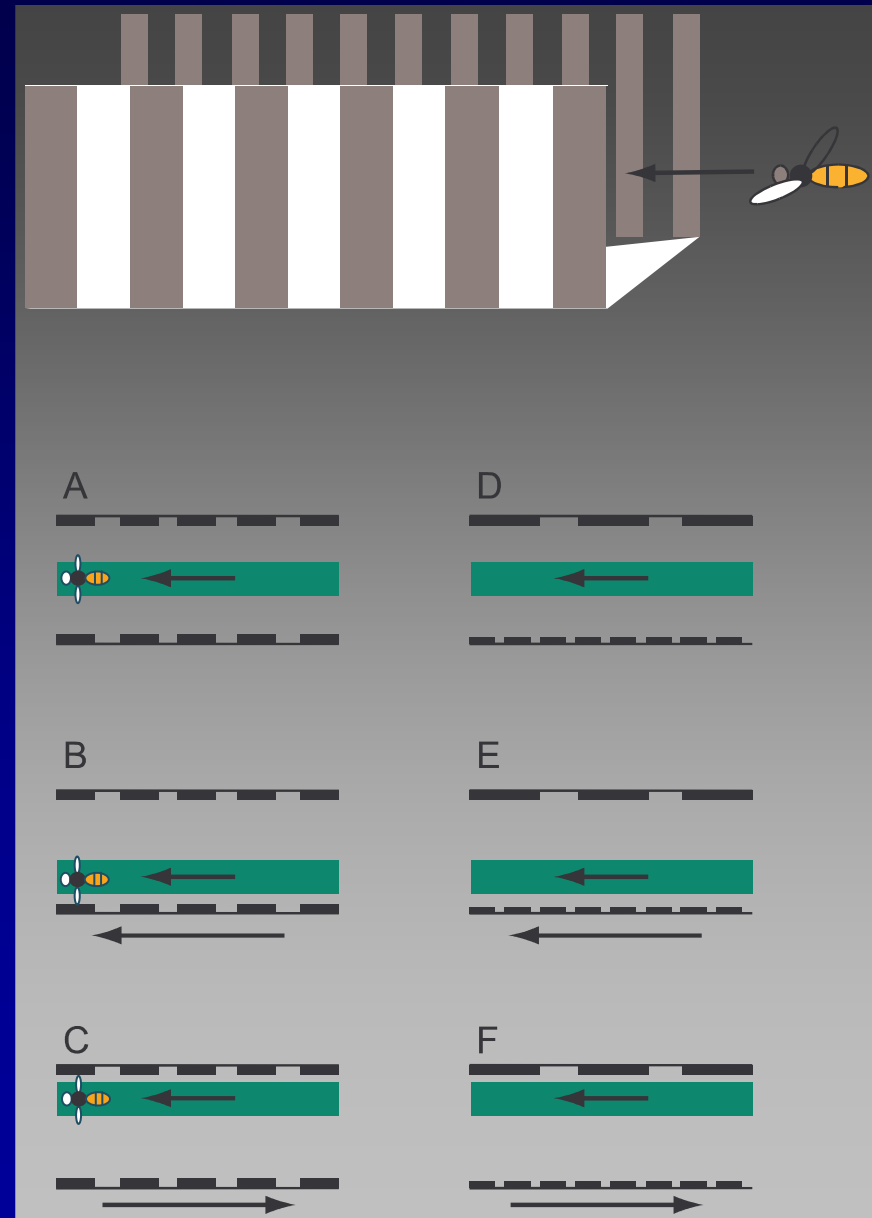


Bees negotiate narrow gaps by balancing the image velocities in the two eyes

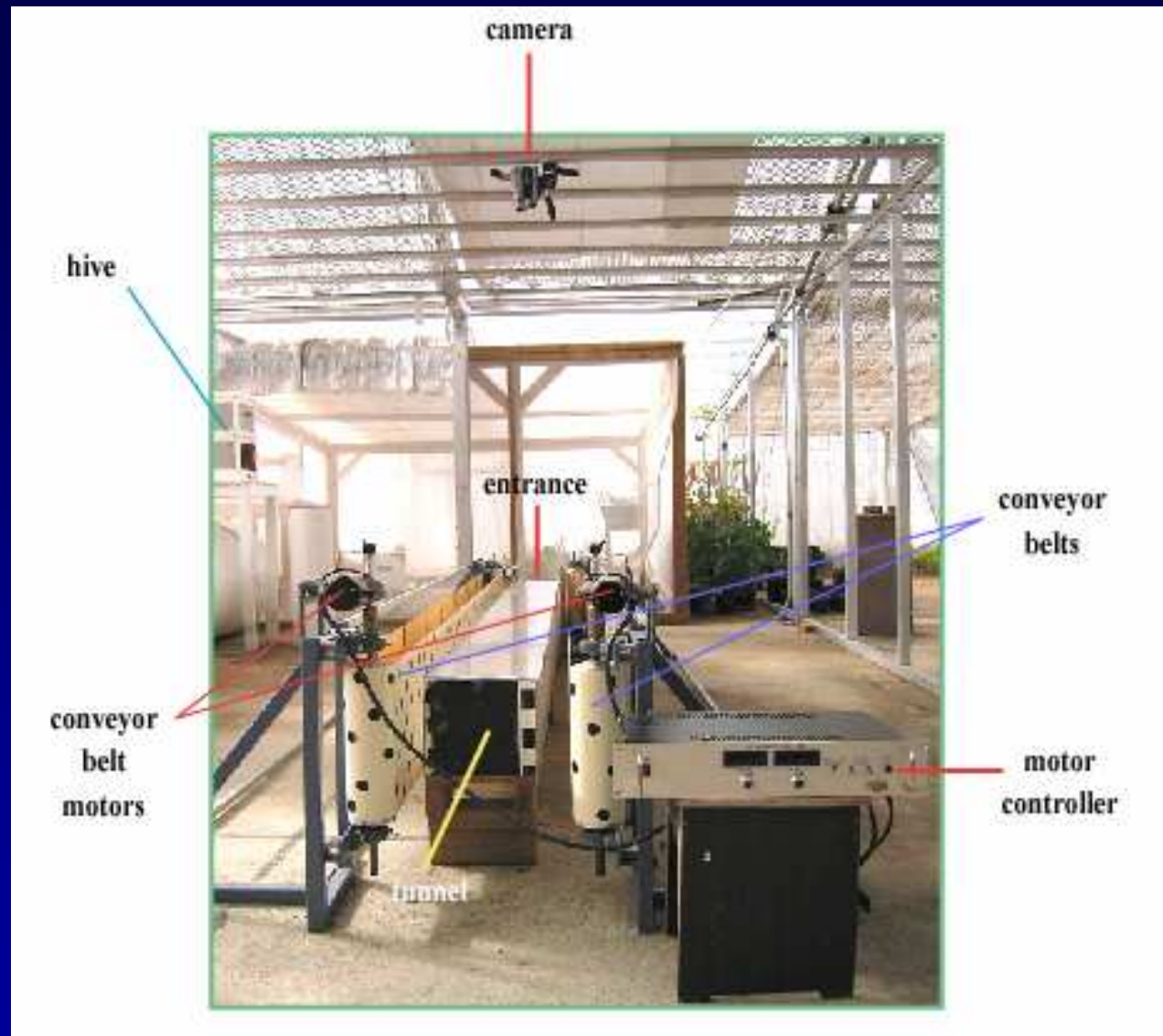


Kirchner & Srinivasan
Naturwissenschaften (1988)

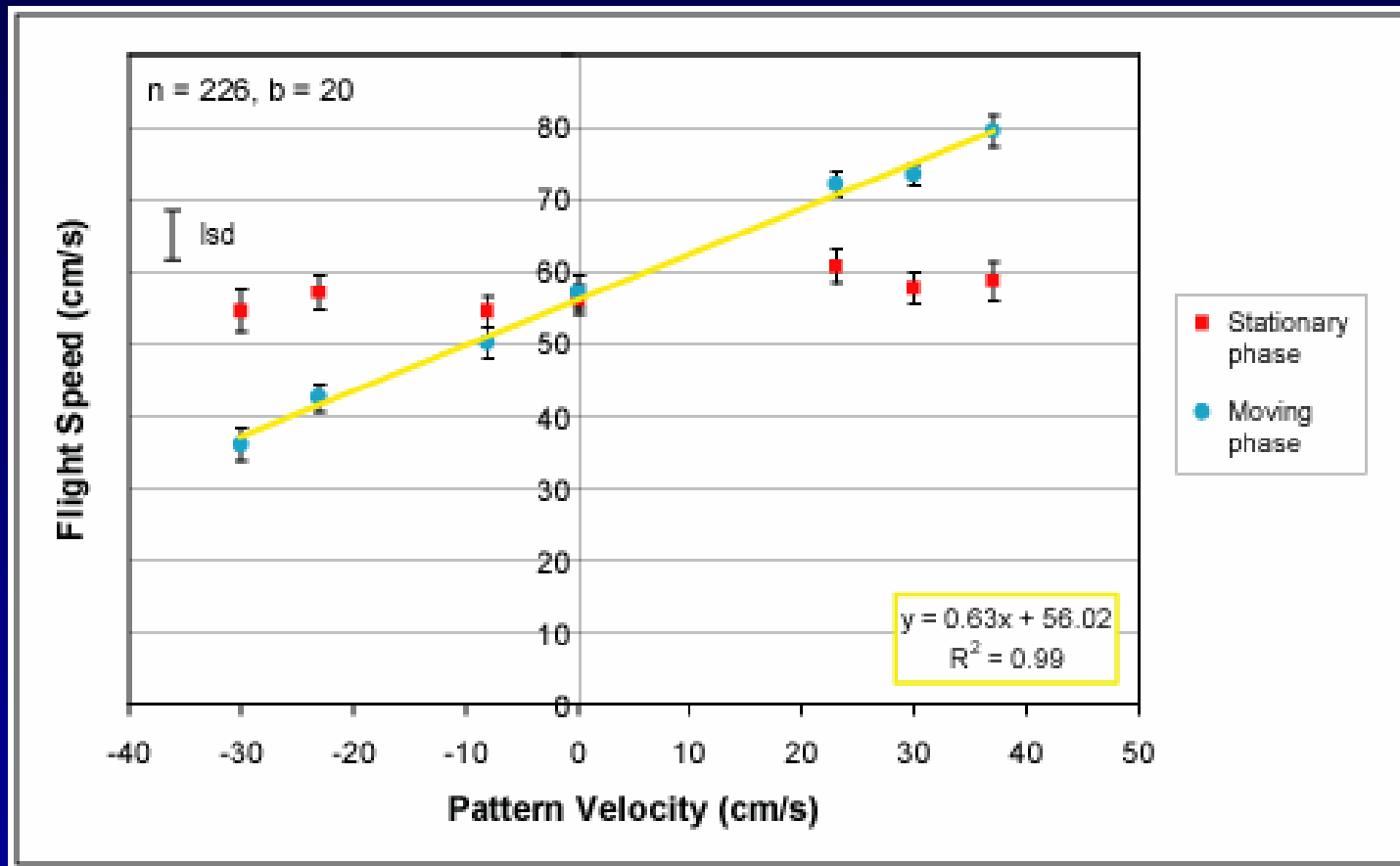
Srinivasan, Lehrer, Kirchner & Zhang
Vis. Neurosci. (1991)



Indoor tunnel: A WBFF



Transient change of optic flow: static to moving

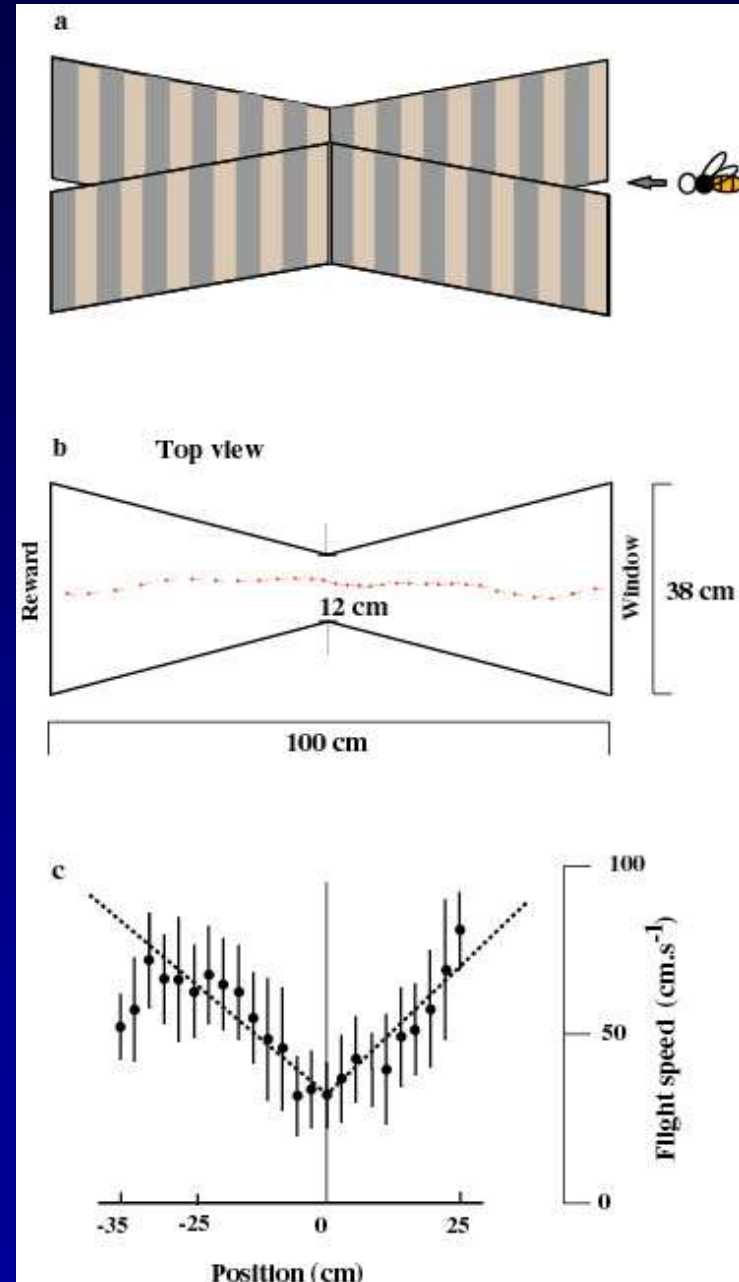


Baird, Srinivasan & Zhang, JEB 2005

Control of flight speed

Speed of flight is regulated by holding the global image velocity constant

Srinivasan, Zhang, Lehrer & Collett
J. Exp. Biol. (1996)

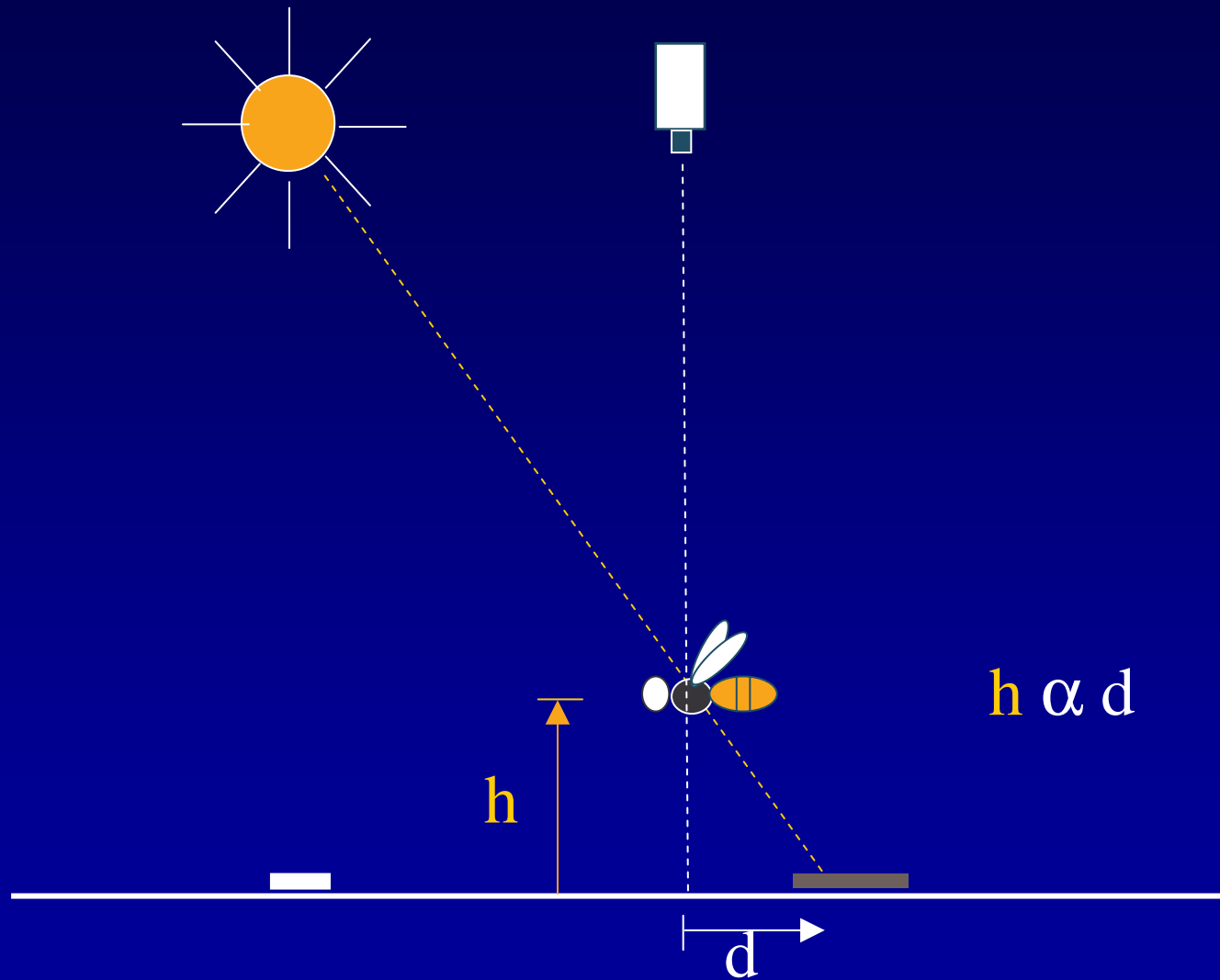


Landing

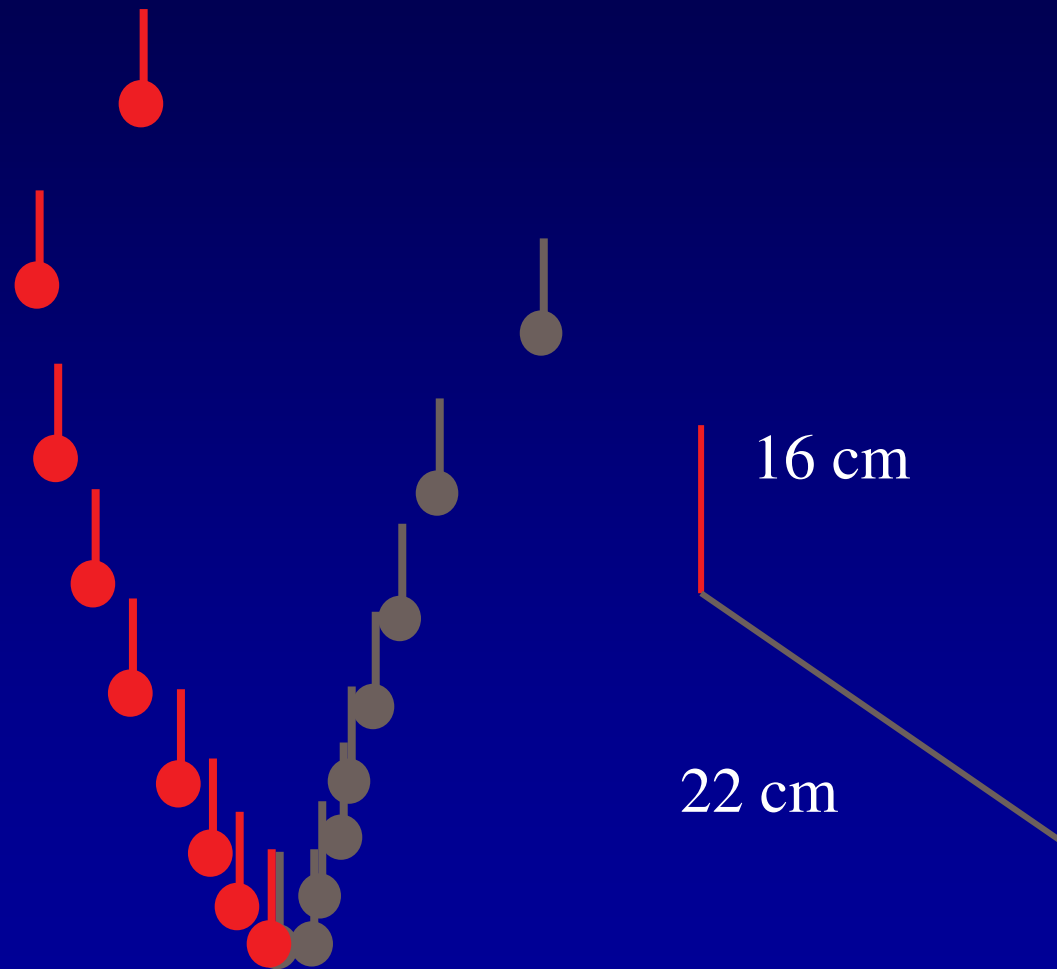


How does a bee perform a smooth, grazing landing on a horizontal surface ?

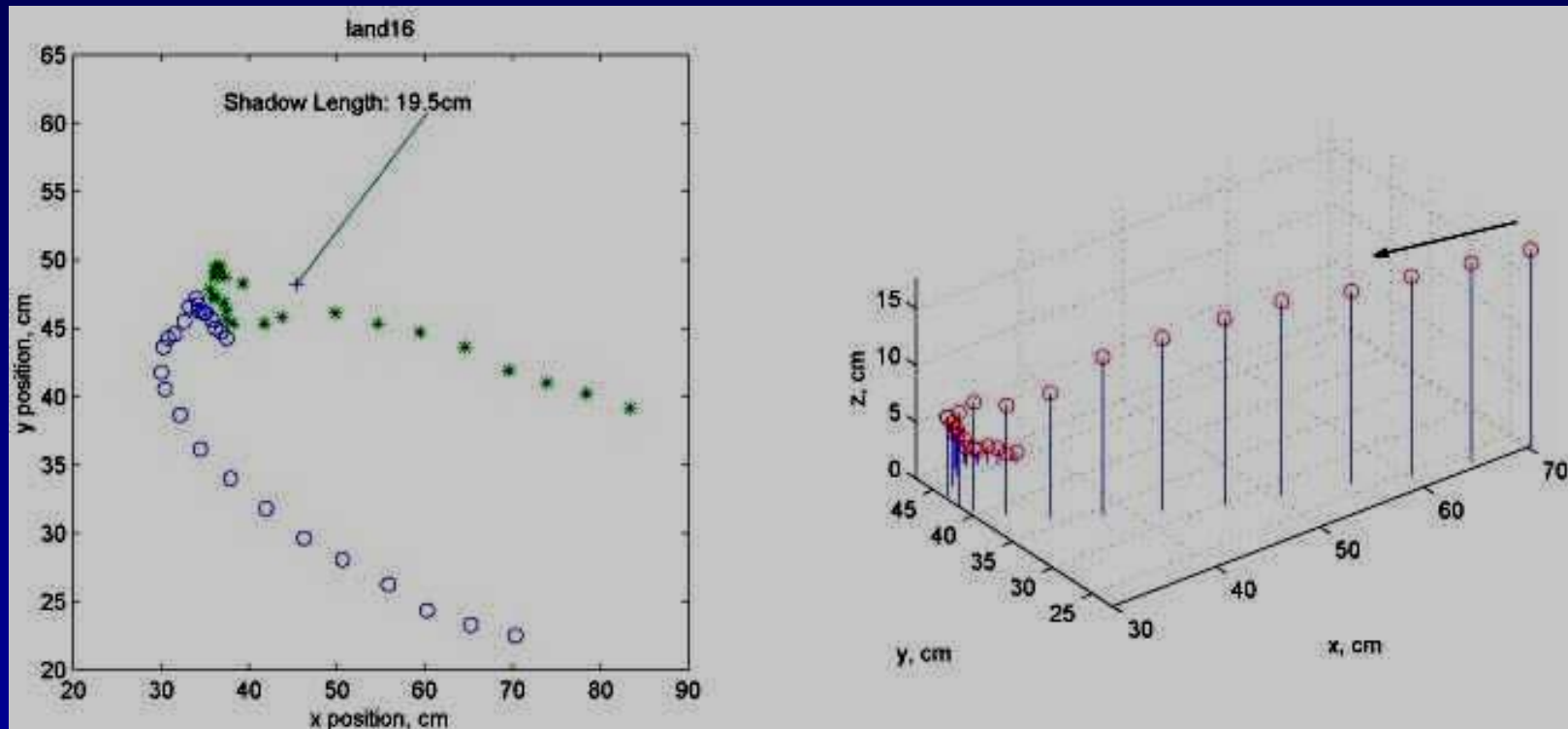
Filming trajectories of landing bees in 3-d



Typical landing trajectory

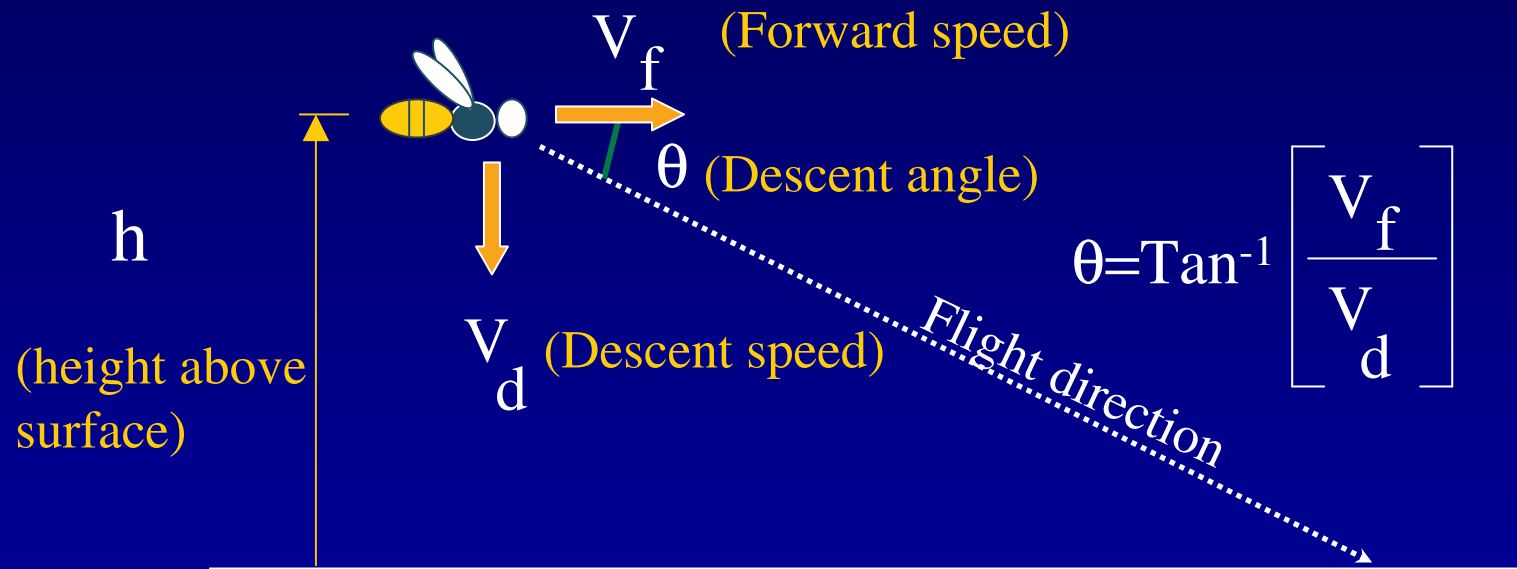


Reconstruction of landing trajectories in 3d

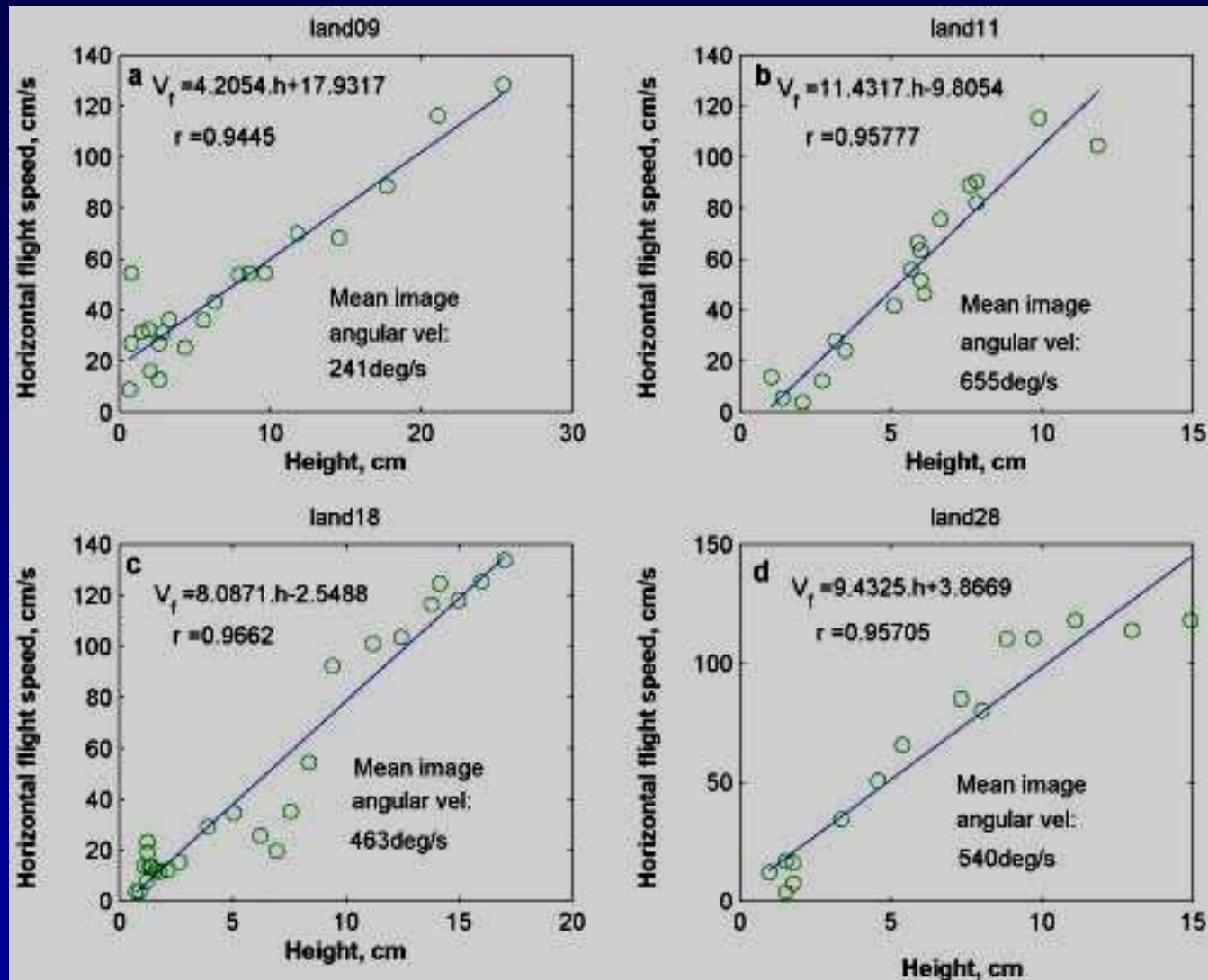


Srinivasan, Zhang, Chahl, Barth & Venkatesh, *Biol. Cybern.* (2000)

Landing parameters



Horizontal flight speed versus height



Srinivasan, Zhang, Chahl, Barth & Venkatesh, *Biol. Cybern* (2000)

Rules for landing

1. Ground image speed is held constant

$$V_f(t) = \omega.h(t)$$

2. Instantaneous descent speed $V_d(t)$ is coupled to instantaneous forward flight speed $V_f(t)$:

$$V_d(t) = -\frac{dh(t)}{dt} = B.V_f(t)$$

Rules for landing

- Forward flight speed $V_f(t)$ is proportional to instantaneous height $h(t)$ above ground:

$$V_f(t) = \omega.h(t) \quad (1)$$

where ω is the angular velocity of the image in radians/sec.

- Make descent speed $V_d(t)$ proportional to forward flight speed $V_f(t)$:

$$V_d(t) = -\frac{dh(t)}{dt} = B.V_f(t) \quad (2)$$

Inserting (1) into (2),

$$B.\omega.h(t) + \frac{dh(t)}{dt} = 0 \quad (3)$$

which can be solved for $h(t)$ to yield

$$h(t) = h(t_0).e^{-\omega.B.(t-t_0)} \quad (4)$$

where $h(t_0)$ is the height at the initial time $t = t_0$.

\Rightarrow *Height decreases exponentially with time*

Inserting (4) into (1),

$$V_f(t) = \omega.h(t_0).e^{-\omega.B.(t-t_0)} \quad (5)$$

\Rightarrow *Forward speed decreases exponentially with time*

Inserting (5) into (2),

$$V_d(t) = B.\omega.h(t_0).e^{-\omega.B.(t-t_0)} \quad (6)$$

\Rightarrow *Descent speed also decreases exponentially with time*

Dividing (6) by (5),

$$\frac{V_d(t)}{V_f(t)} = B \quad (7)$$

as required by the descent constraint.

- Cumulative horizontal distance travelled (*Hordist*):

$$Hordist = \int_{t_0}^t V_f(t).dt = \int_{t_0}^t \omega.h(t_0).e^{-\omega.B.(t-t_0)}.dt \quad (8)$$

Integrating, we get

$$Hordist = \frac{h(t_0)}{B}.[1 - e^{-\omega.B.(t-t_0)}] \quad (9)$$

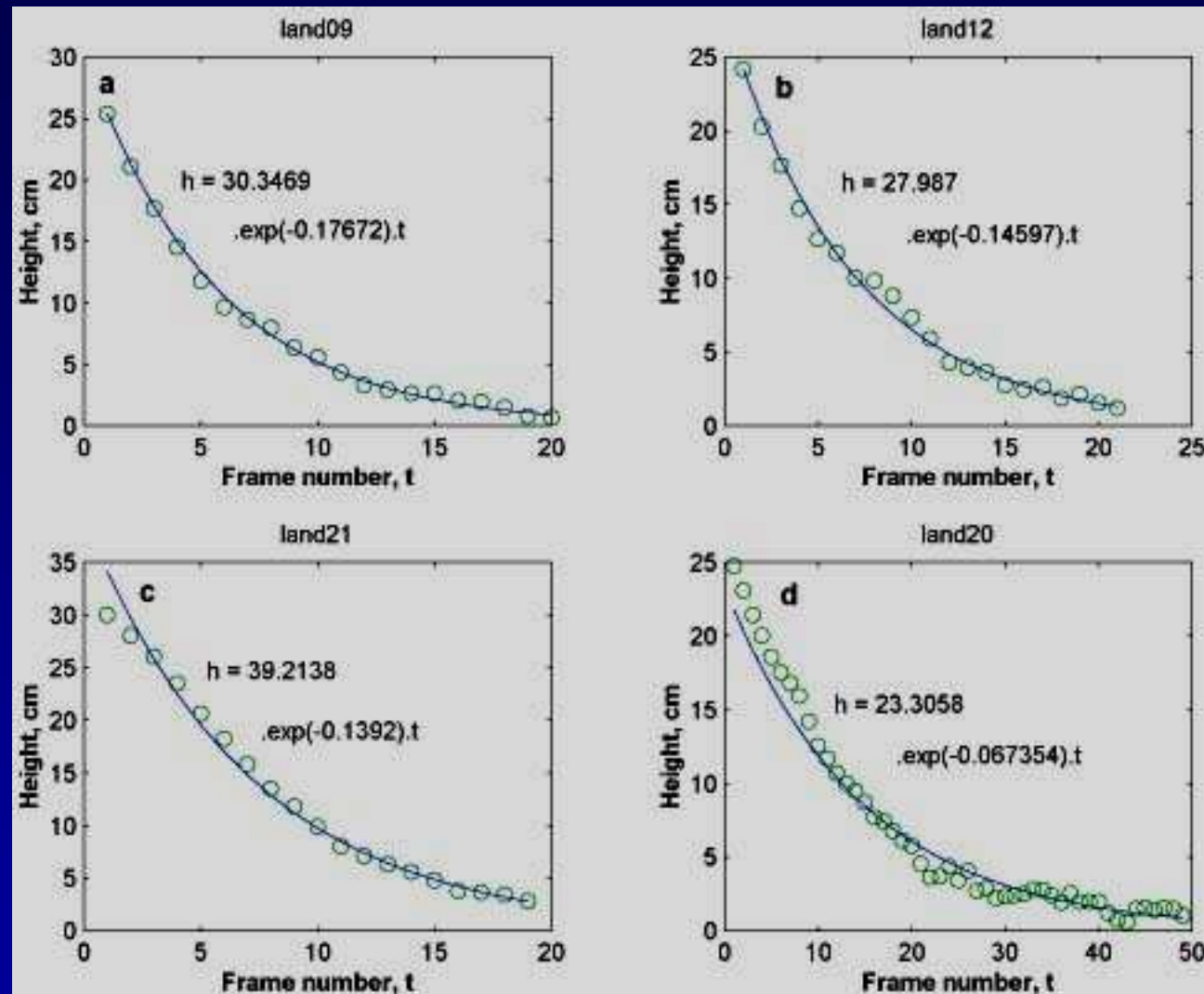
\Rightarrow *Horizontal distance travelled is a saturating exponential function of time*

Model prediction 1:

$$h(t) = h(t_0).e^{-\omega.B.t}$$

⇒ Height decreases exponentially with time

Test of prediction 1

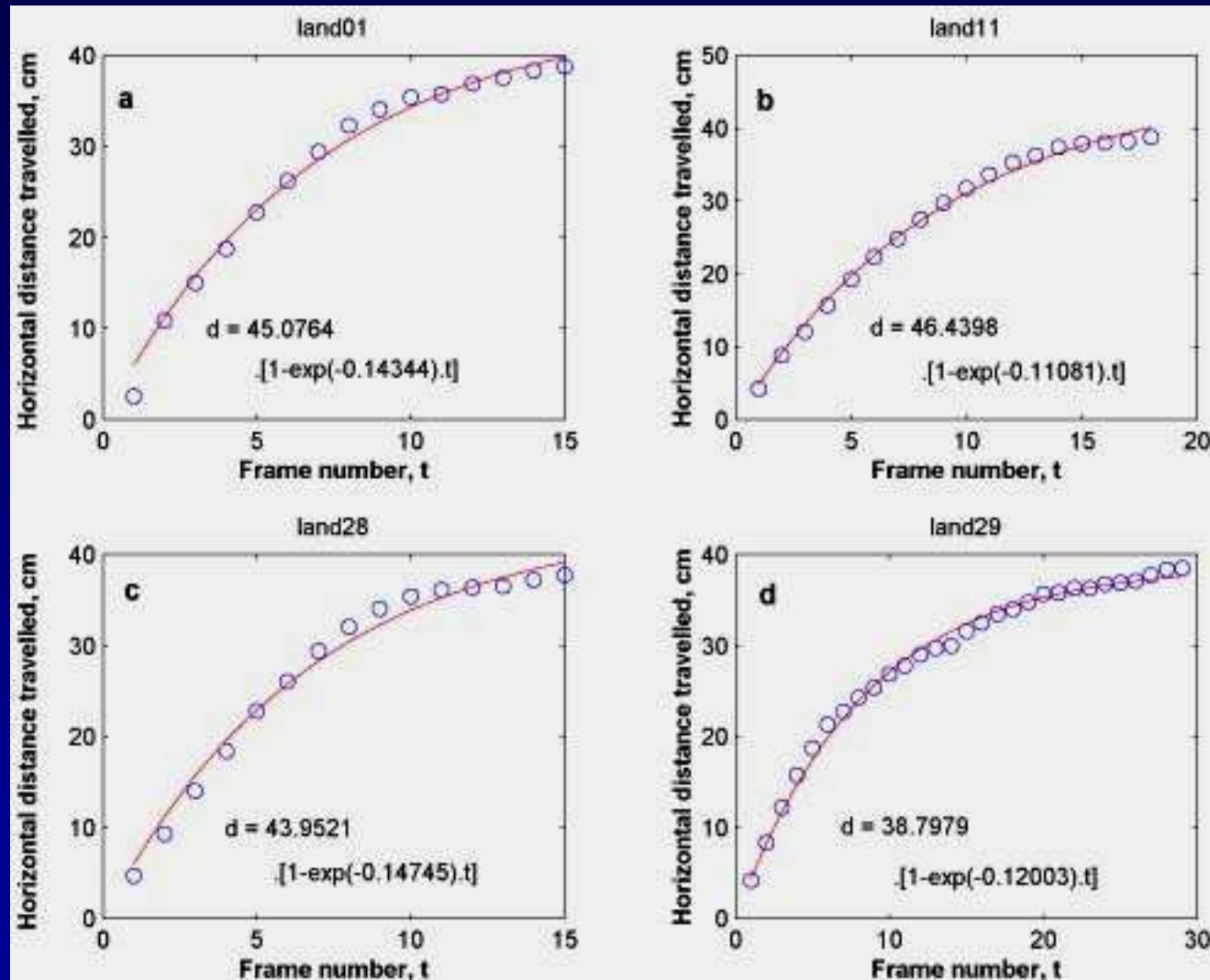


Model prediction 2:

$$Hordist = \frac{h(t_0)}{B} \cdot [1 - e^{-\omega \cdot B \cdot t}]$$

⇒ Cumulative horizontal distance travelled
is a saturating exponential function of time

Test of Prediction 2



Srinivasan, Zhang, Chahl, Barth & Venkatesh, *Biol. Cybern* (2000)

Projected time to touchdown

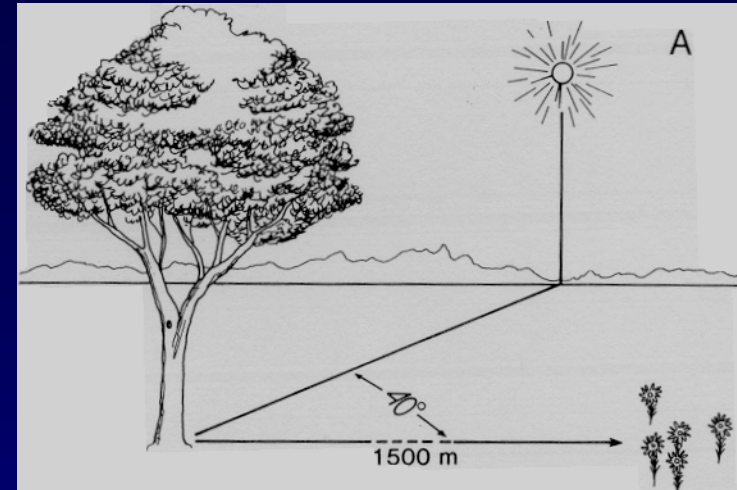
$$TTT = \frac{1}{B.\omega}$$

$$\cong 0.22 \text{ sec}$$

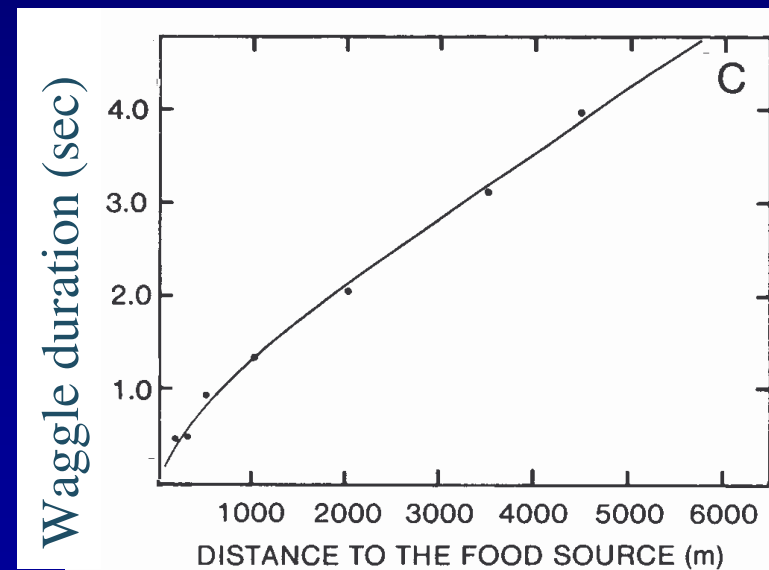
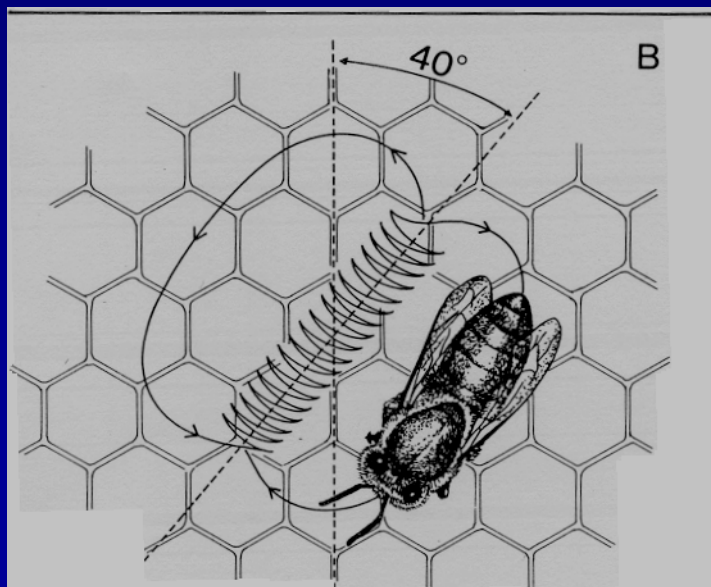
Is **constant** through the landing process!

Honeybee odometry

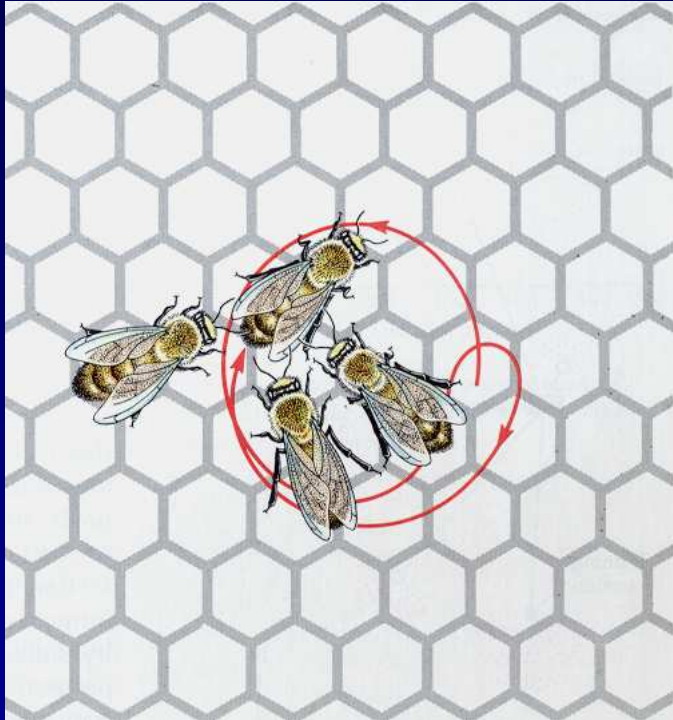
The waggle dance



Q: How does a bee work out how far she has flown?







Round dance
(feeder distance $< 50\text{m}$)



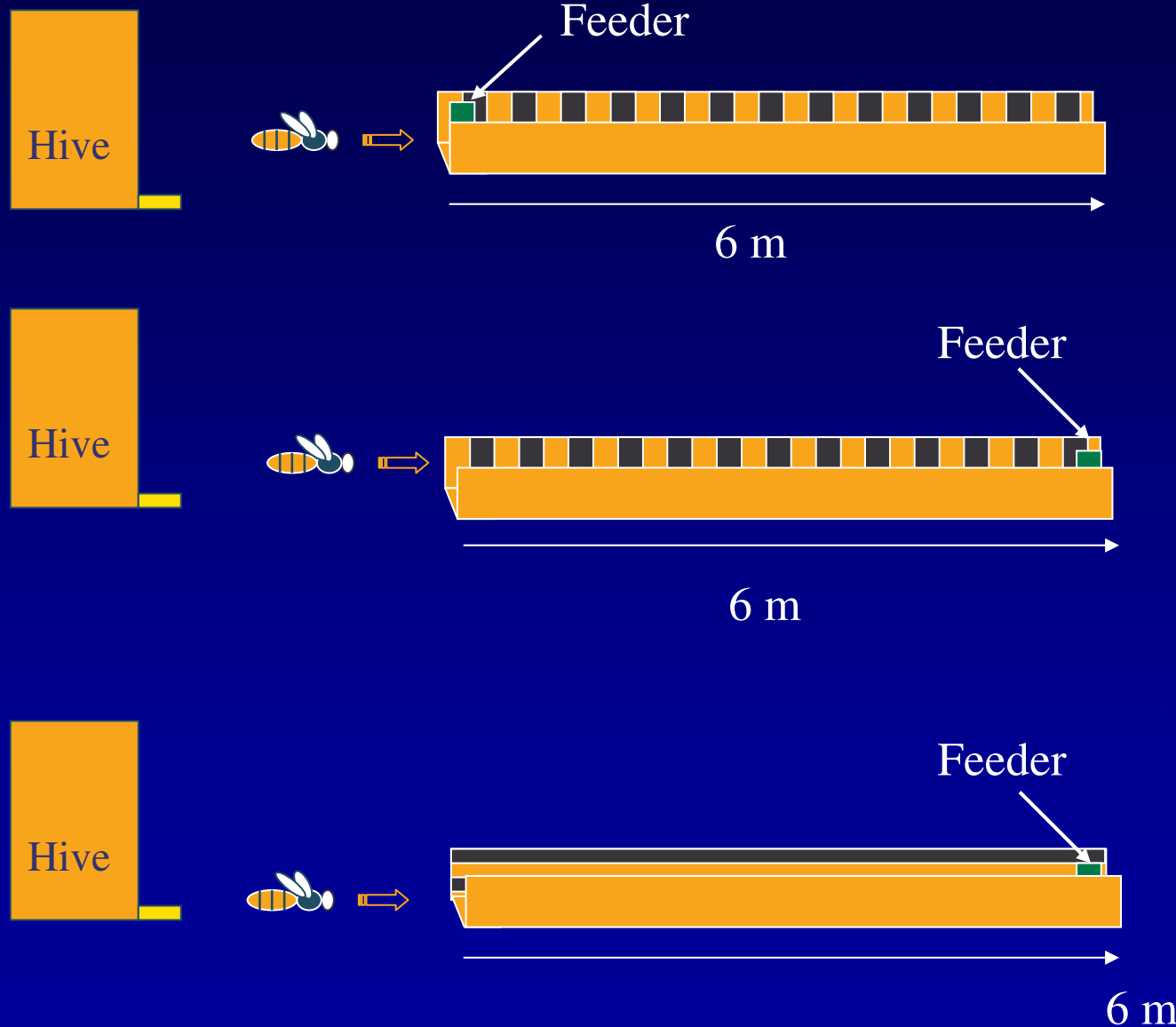
Waggle dance
(feeder distance $> 50\text{m}$)

What distance do bees “perceive”
when they fly inside a narrow tunnel?



Srinivasan, Zhang, Altwein & Tautz, *Science* (2000)

Esch, Zhang, Srinivasan & Tautz *Nature* (2001)



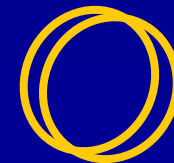
Dance signal



Round dance
~ 0 m



Waggle dance
~ 200 m



Round dance
~ 0 m



Tautz, Zhang, Spaethe, Brockmann, Aung Si, Srinivasan (*PLOS Biology*, 2004)



Panoramic Imaging System

Image acquired
by camera



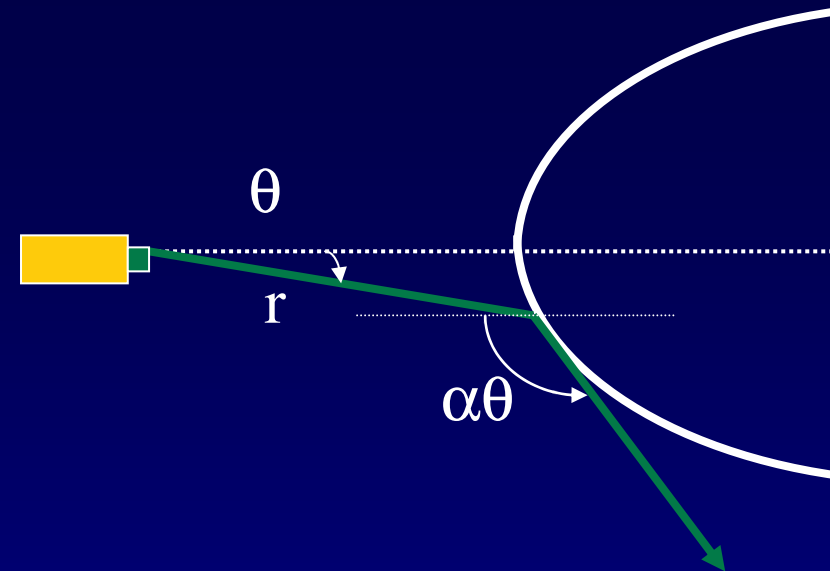
Digitally unwarped
panoramic image



Panoramic Imaging System

The system comprises a standard video camera viewing a specially shaped reflective surface. The surface has the property that a given change in the angular elevation of view in the external environment maps to a constant radial displacement in the camera's image

Constraint equation
for generating profile
of panoramic imaging
surface



$$\frac{d}{d\theta} \left[\tan^{-1} \left(r \frac{d\theta}{dr} \right) \right] = \kappa$$

$$\text{where } \kappa = - (1+\alpha)/2$$



$$\boxed{\begin{aligned} \sin[A - \theta(1+\alpha)/2] \\ = (Br)^{(1-\alpha)/2} \end{aligned}}$$

Constants of integration A and B are set by boundary conditions:
distance r_0 and slope of surface at $\theta = 0$

Navigation in 3-D

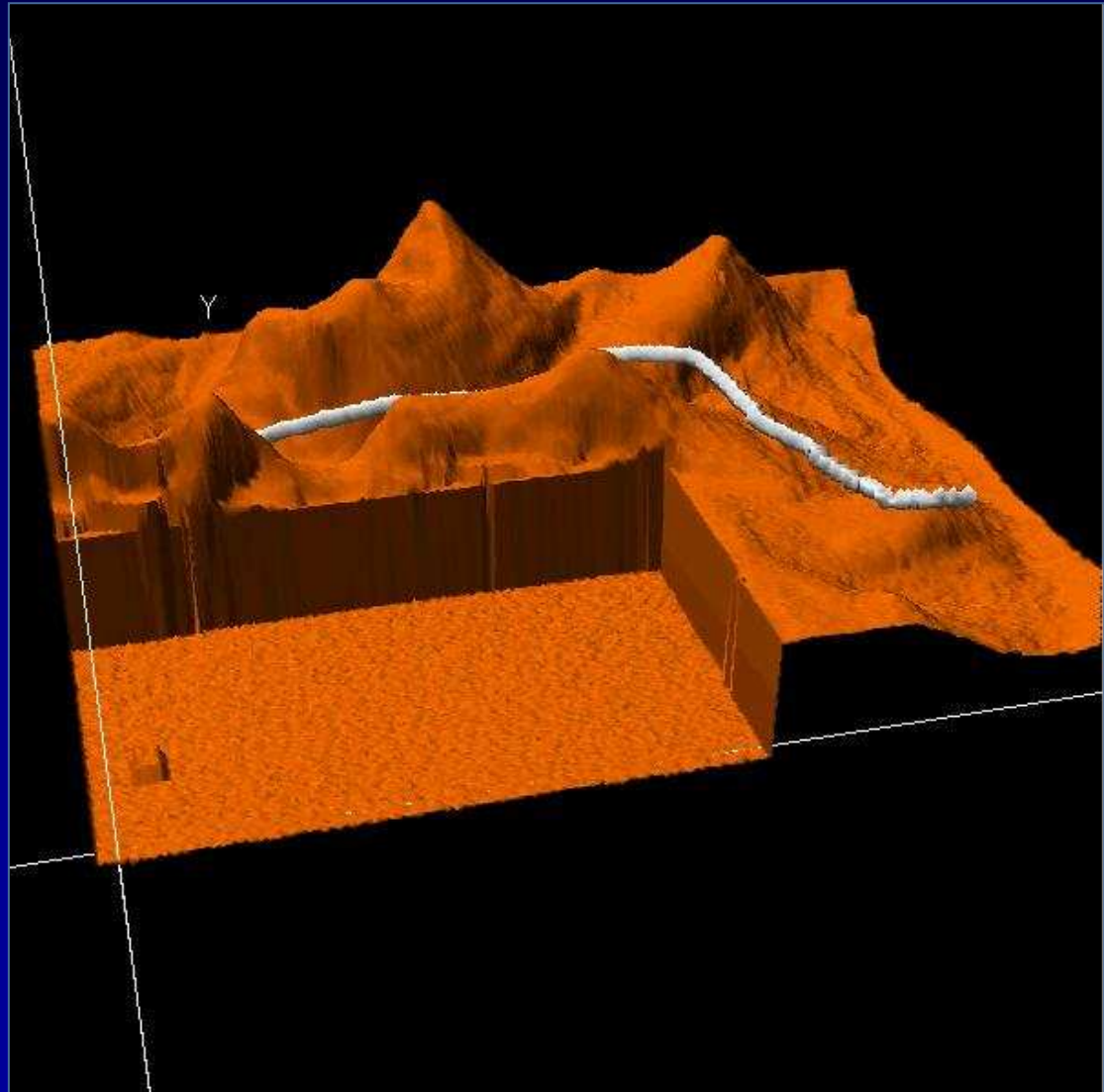
Gantry -based,
insect-inspired
navigation system
emulates flight in
realistic terrain

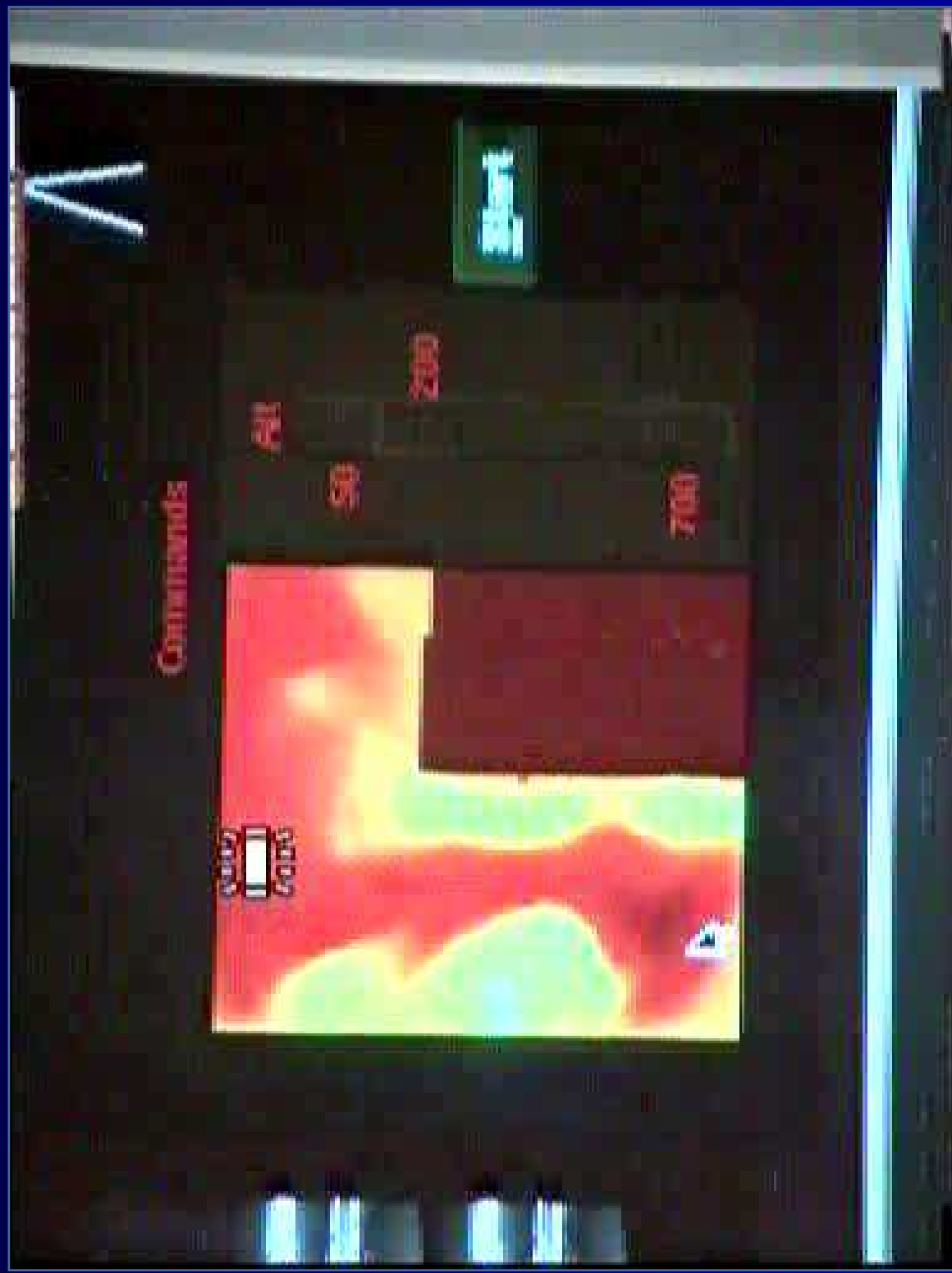


Navigation in 3-D(contd.)

Development and testing of algorithms for landing, terrain following, gorge following, obstacle avoidance and point-to-point navigation

Chahl & Srinivasan (2000b)

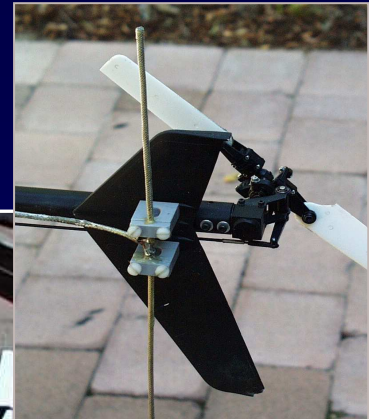




Helicopter System Overview

(Hirobo Eagle-X)

Video TX

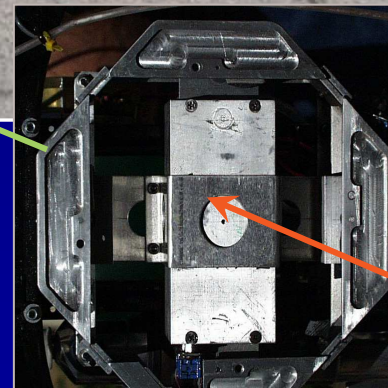


Video Antenna

GPS RX

Video camera

Flight Computer



Vibration Isolator

Inertial Sensors

Magnetometers



Visually Stabilized Hover

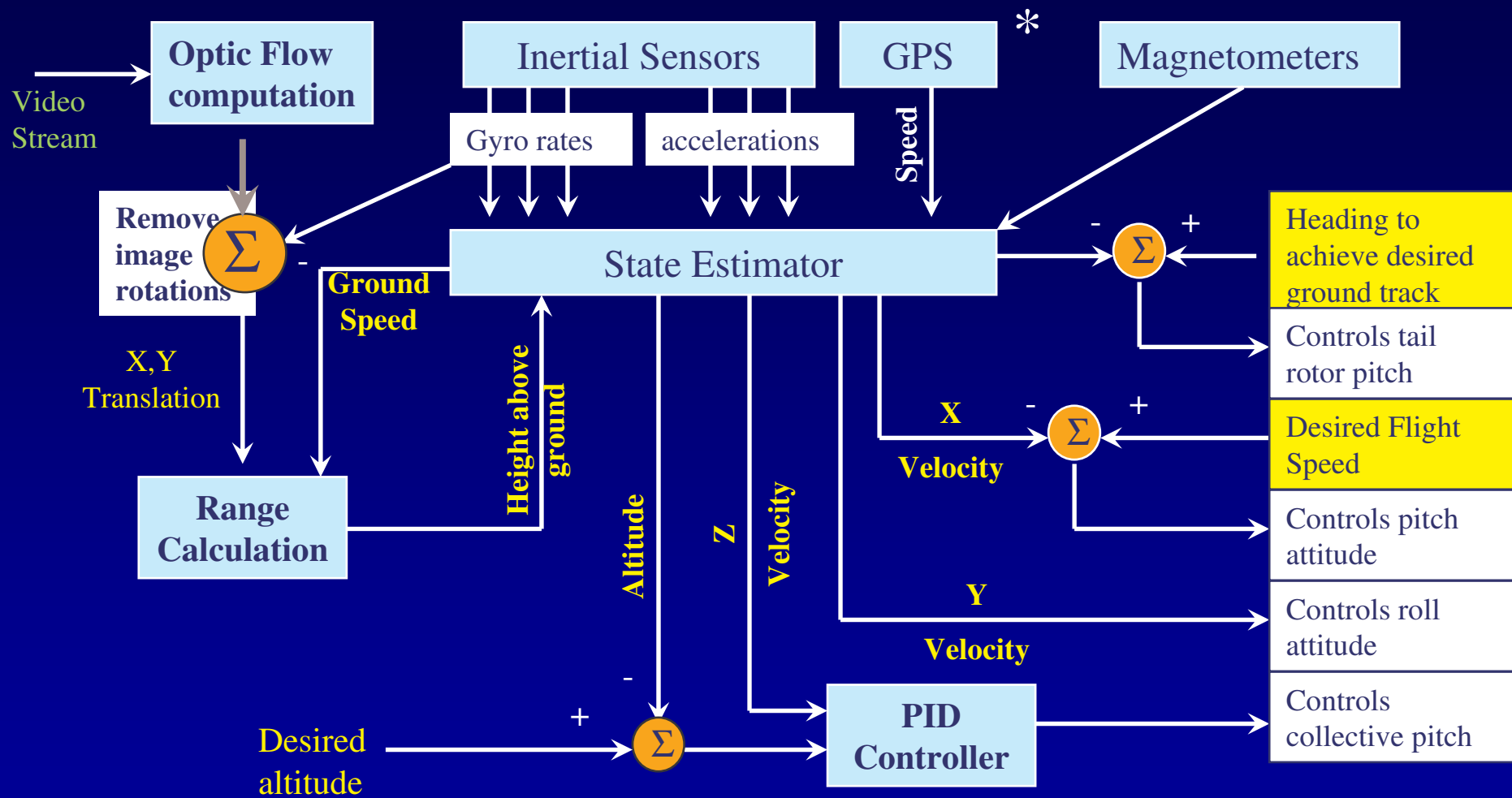


View of
helicopter



View from
helicopter

Forward Flight Controller Design



* GPS can be replaced with any suitable ground speed measure.

Field testing of forward flight controller



View from
helicopter



Method adopted for testing forward flight algorithms on actual helicopter. A safety pilot observes from the back of the chase vehicle, poised to take control from the automatic controller for take off, landing and in case of an emergency.

Flight test results for helicopter at 50 km/hr

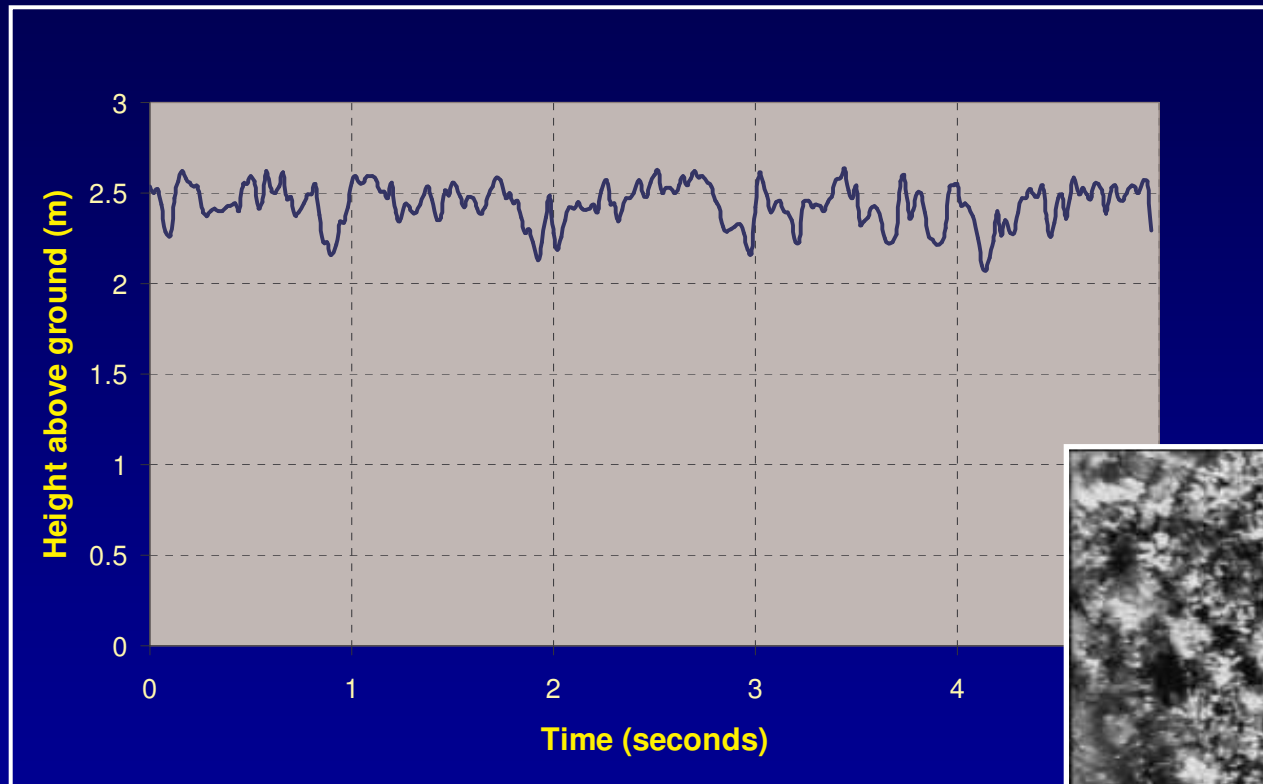
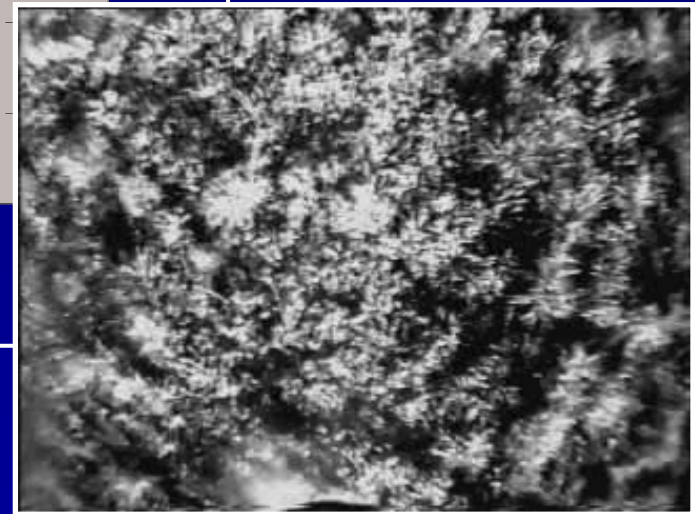


Image from
downward looking
camera

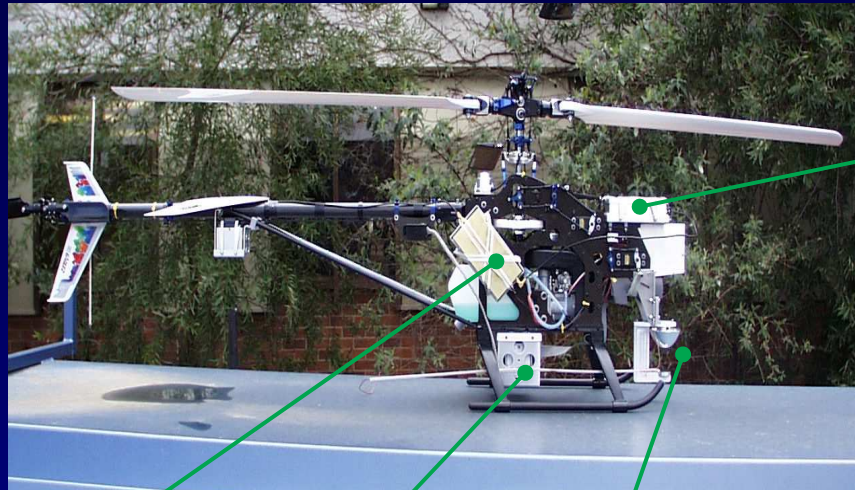


Height above ground
calculated by optic flow

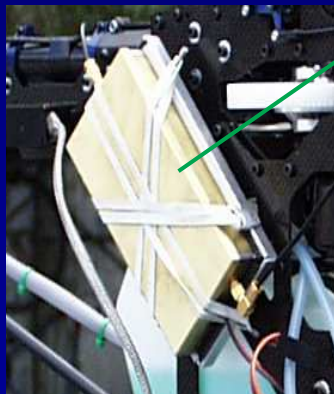
Helicopter system

Hirobo
Eagle-X

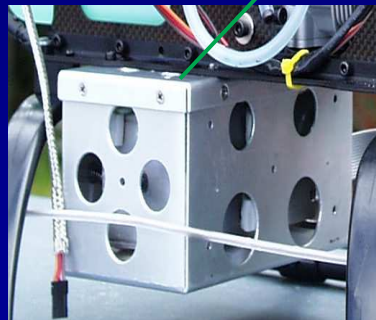
a



b



c



d



f

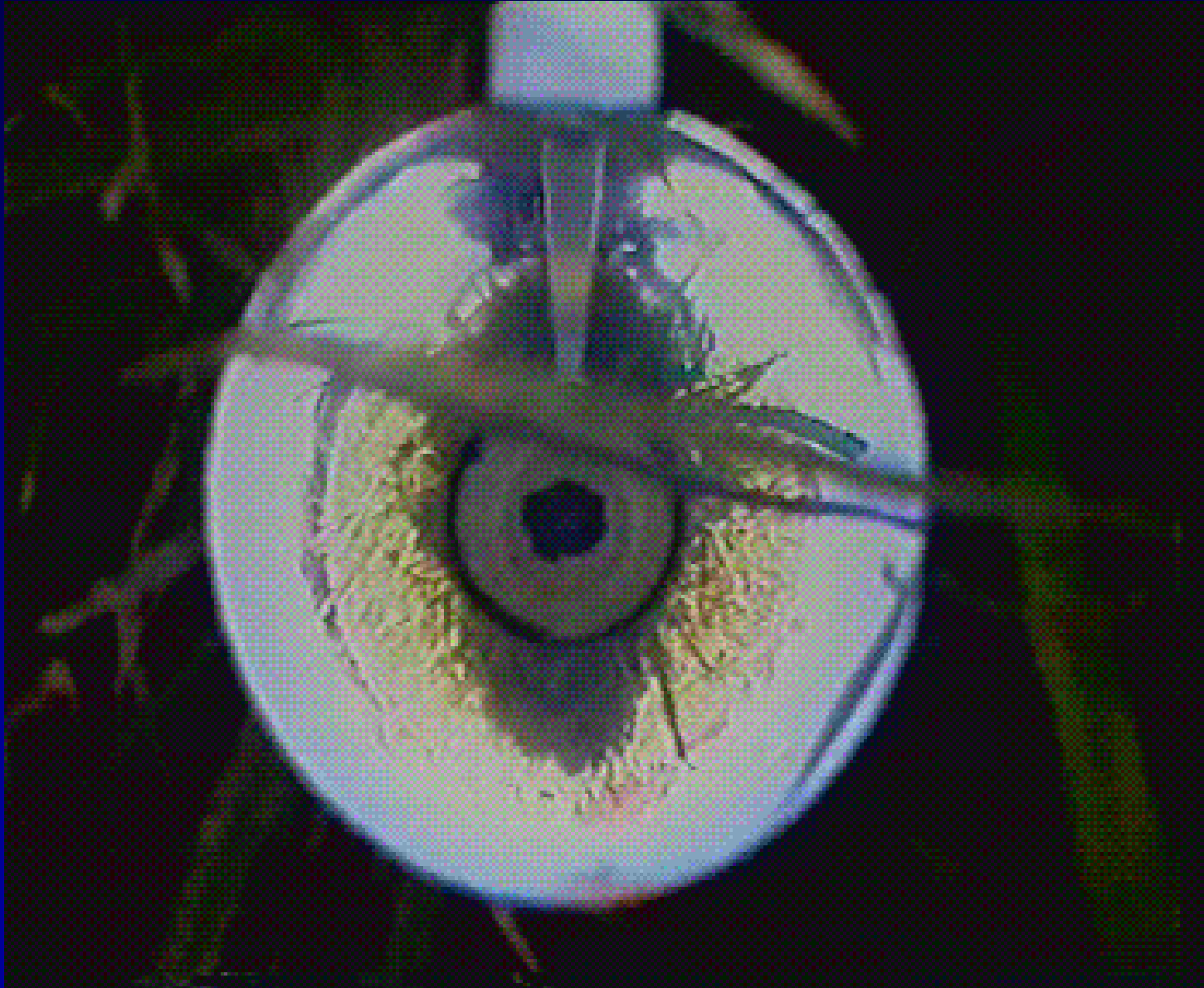


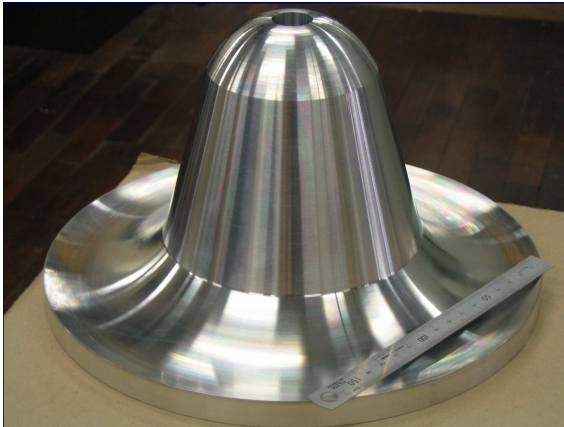
e



Overview of one helicopter system showing (a) craft (ca. 1.5 m fuselage, 1600g payload), (b) video and telemetry transmitter (c) custom designed inertial sensor housing (d) in-house designed and patented panoramic optical system (e) in-flight panoramic image (f) flight computer

Panoramic video imaging from helicopter

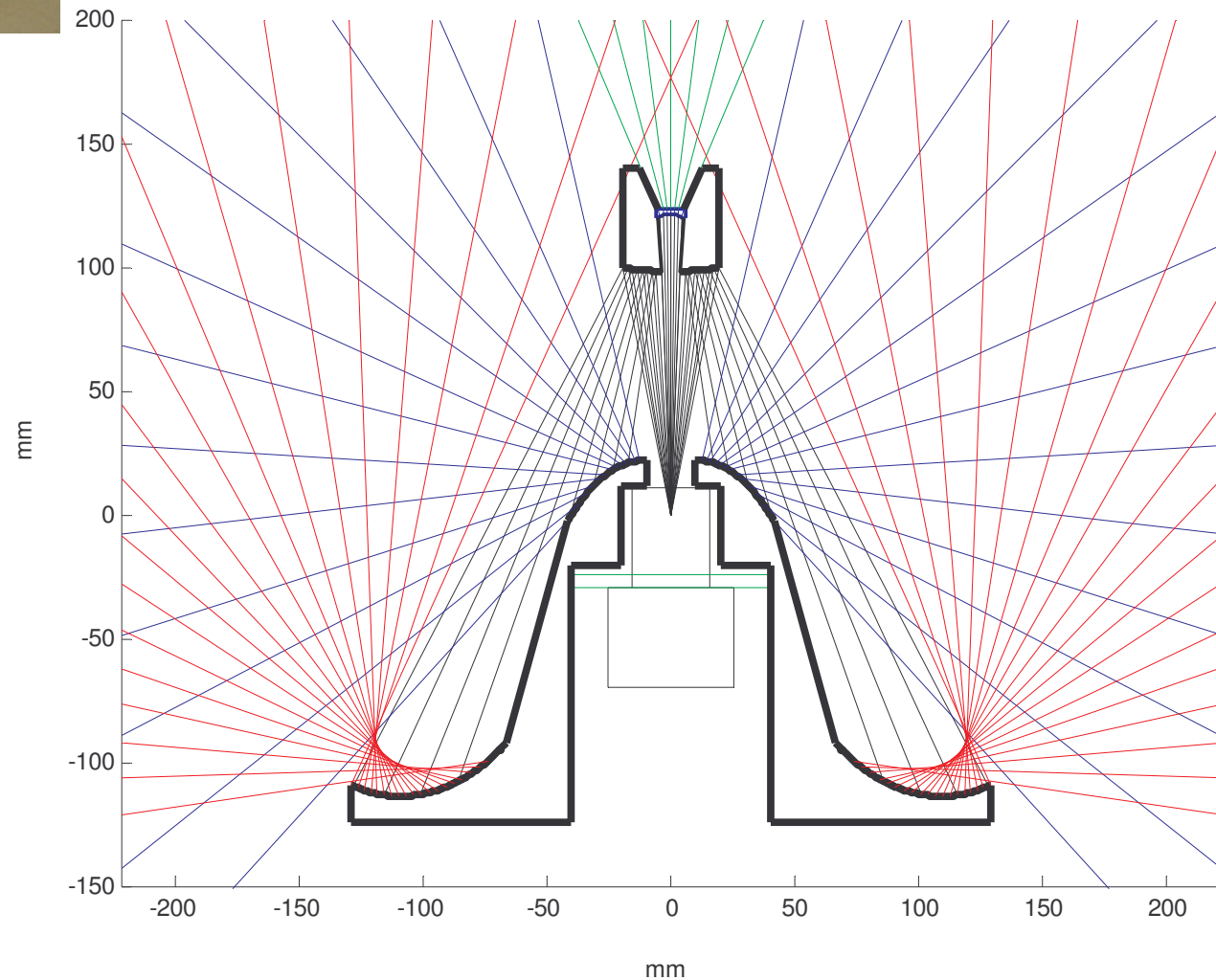




Vision system for panoramic stereo

Features:

- Panoramic stereo
- Frontal stereo
- Frontal mono to eliminate blind zone



Driven by an interest in understanding and applying **biological principles**,
rather than outright **biological mimicry**

Shaowu Zhang



Javaan Chahl



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